

30/01/26

Time (NN) Flies (VB)

State = { N
Observation =

Fruit (NN) Flies (NNS)

Time (NN) Like (IN) arrow (NN)

Test Data: Time Flies \Rightarrow pos Tag Sequence = ?

Initial Probability \Rightarrow

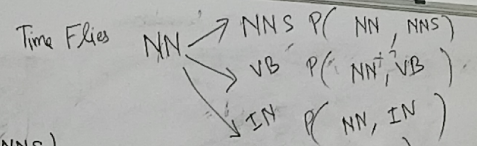
$P(NN) = 1$ $P(VB) = 0$
 $P(NNS) = 0$ $P(IN) = 0$

Transition Probability

$NN \rightarrow VB \quad P(VB/NN) = \frac{1}{3}$
 $NN \rightarrow NNS \quad P(NNS/NN) = \frac{1}{3}$
 $NN \rightarrow IN \quad P(IN/NN) = \frac{1}{3}$

State = { NN, VB, NNS, IN }

Observation = { Time, Flies, Fruit, Like, arrow }



Sequence = ?
on Probability

$P(VB/NN) = \frac{1}{3}$
 $P(NNS/NN) = \frac{1}{3}$
 $P(IN/NN) = \frac{1}{3}$

Emission Probability

Pos-Tag	Word	Probability
NN	Time	$\frac{2}{4} = 0.5$
NN	Fruit	$\frac{1}{4} = 0.25$
NN	arrow	$\frac{1}{4} = 0.25$
VB	Flies	1
NNS	Flies	1
IN	Like	1

$P(NN, NNS) = \text{Initial Prob}(NN) \times P(\text{Time}/NN) \times P(NNS/NN) \times P(\text{Flies}/NNS)$
 $= 1 \times 0.5 \times \frac{1}{3} \times 1 = \frac{0.5}{3}$

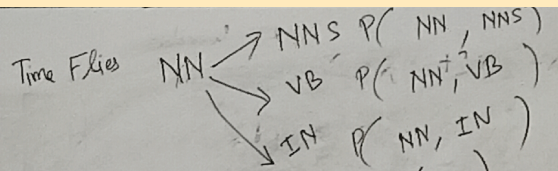
$P(NN, VB) = \text{Initial Prob}(NN) \times P(\text{Time}/NN) \times P(VB/NN) \times P(\text{Flies}/VB)$
 $= \frac{0.5}{3}$

$P(NN, IN) =$

$P(\text{Next}/\text{am})$
 \downarrow
 am

State = { NN, VB, NNS, IN }

Observation = { Time, Flies, Fruit, Like, arrow }



Emission Probability

Pos-Tag	Word	Probability
NN	Time	$\frac{2}{4} = 0.5$
NN	Fruit	$\frac{1}{4} = 0.25$
NN	arrow	$\frac{1}{4} = 0.25$
VB	Flies	1
NNS	Flies	1
IN	Like	1

$P(VB/NN) = \frac{1}{3}$

$P(NNS/NN) = \frac{1}{3}$

$P(IN/NN) = \frac{1}{3}$

$P(NN, NNS) = \text{Initial Prob}(NN) \times P(\text{Time}/NN) \times P(NNS/NN) \times P(\text{Flies}/NNS)$

$= 1 \times 0.5 \times \frac{1}{3} \times 1 = \frac{0.5}{3}$

$P(NN, VB) = \text{Initial Prob}(NN) \times P(\text{Time}/NN)$

$\times P(VB/NN) \times P(\text{Flies}/VB)$

$= \frac{0.5}{3}$

$P(NN, IN) =$

$P(\text{Next} | \text{am})$
I am

03/02/26

Training Corpus:

the dog barks
(DET) (Noun) (VERB)

the dog runs
(DET) (Noun) (VERB)

the cat runs
(DET) (Noun) (VERB)

Test:

Tag Set: {

Vocab: {

Transition C

<start>

DET →

Noun →

Test:

the dog runs

Tag Set: { DET, NOUN, VERB }

Vocab: { the, dog, barks, runs, cat }

Transition Count:

<start> → DET = 3

DET → Noun = 3

Noun → VERB = 3

Emission:

DET : the = 2, a = 1

Noun : dog = 2, cat = 1

VERB : barks = 1, runs = 2

⇒ VITERBI Algo

the dog runs

Tag Set: { DET, NOUN, VERB }

Vocab: { the, dog, barks, runs, cat, a }

Transition Count:

<start> → DET = 3

DET → Noun = 3

Noun → VERB = 3

Emission:

DET: the = 2, a = 1

Noun: dog = 2, cat = 1

VERB: barks = 1, runs = 2

Laplacian Smoothing:
Transition Probability

$P(\text{Noun}/\text{DET}) = \frac{3}{3+6} = \frac{1}{2}$

$P(\text{Noun}/\text{Noun}) = \frac{3}{3+6} = \frac{1}{2}$

Emission Probability:

$P(\text{a}/\text{Noun}) = \frac{0+1}{3+6} = \frac{1}{9}$

$P(\text{dog}/\text{Noun}) = \frac{2+1}{3+6} = \frac{1}{3}$

⇒ VITERBI Algo

Test: the dog runs

Tag Set: { DET, NOUN, VERB }

Vocab: { the, dog, barks, runs, cat, a }

Transition Count:

<start> → DET = 3

DET → Noun = 3

Noun → VERB = 3

Emission:

DET: the = 2, a = 1

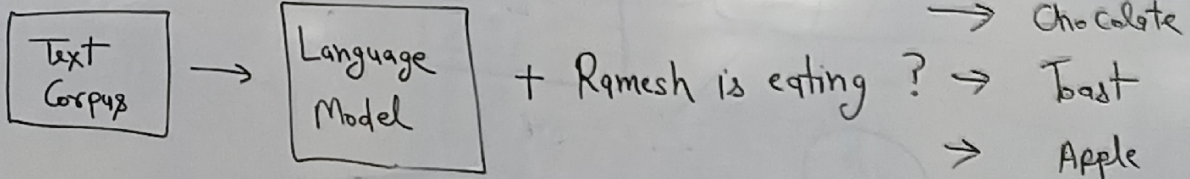
Noun: dog = 2, cat = 1

VERB: barks = 1, runs = 2

05/02/26

N-Gram Language Model

- Create a language model from text Corpus to estimate the probability of word sequences.

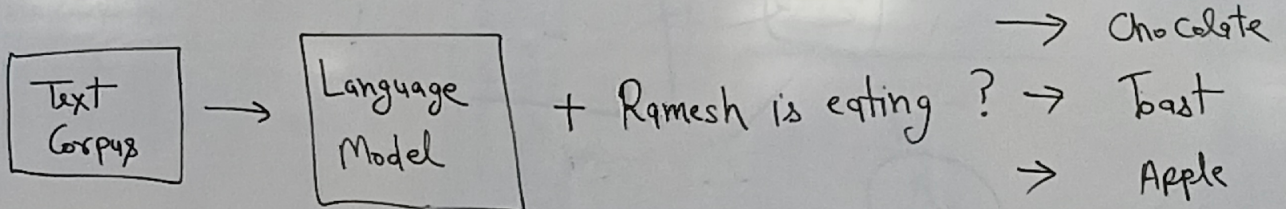


- Speech Recognition
- Spelling Correction
- Augmentative Communication

N-
Corpus:

N-Gram Language Model

- Create a language model from text Corpus to estimate the probability of word sequences.



- Speech Recognition
- Spelling Correction
- Augmentative Communication

Corpus

N-Gram: is a sequence of n words

Corpus: I am happy because I am learning NLP.

Unigram: Sequence of one word.

Ex: { I, am, happy, because, learning, NLP }

te
Bigram: Sequence of two words.

Ex: { I am, am happy, happy because, ... }

Trigrams: Sequence of three words

Ex: { I am happy, am happy because, ... }

N-gram \Rightarrow { Sequence of n words, ... }

Sequence Notation:

NLP.

$$w_1^2 = \{w_1 w_2\}$$

$$w_1^3 = \{w_1 w_2 w_3\}$$

LP }

$$w_1^N = \{w_1 w_2 w_3 \dots w_N\}$$

Unigram Probability

$$P(I) = \frac{2}{8} \quad P(\text{happy}) = \frac{1}{8}$$

Bigram Probability:

$$\{I, \text{am}\} \Rightarrow P(\text{am}/I) = \frac{\text{Count}(I \text{ am})}{\text{Count}(I)}$$

$$P(x, y) = \frac{\text{Count}(x, y)}{\text{Count}(x)} = \frac{2}{2} = 1$$