

15/01/26

# # Naive Bayes Classifier :

No. of Tweets:

+	+	+	+	+
+	+	+	+	+
+	+	+	-	-
-	-	-	-	-

A → Positive Tweets

$$P(A) = \frac{13}{20} = 0.65$$

$$P(\text{Negative}) = 1 - 0.65 = 0.35$$

Naive Bayes classifier

No. of Tweets:

+	+	+	+	+
+	+	+	+	+
+	+	+	-	-
-	-	-	-	-

A → Positive Tweets

$$P(A) = \frac{13}{20} = 0.65$$

$$P(\text{Negative}) = 1 - 0.65 = 0.35$$

Tweets containing the words happy

+	+	+	+	+
+	+	+	+	+
+	+	+	happy	-
-	-	-	-	-

B → Tweets containing the words happy

h	a	pp	y	

$$P(\text{happy}) = \frac{4}{20} = 0.20$$

$$P(B) = \frac{4}{20} = 0.20$$

$$P(A \cap B) = P(A|B) = \frac{3}{20} = 0.15$$

is containing the words  
happy

B → Tweets containing  
the words happy

+	+	+	+
+	+	+	+
+	+	-	-
-	-	-	-

h	a	pp	y	

$$P(\text{happy}) = \frac{4}{20} = 0.20$$

$$P(B) = \frac{4}{20} = 0.20$$

$$P(A|B) = P(\text{Positive}|\text{happy}) = \frac{3}{4} = 0.75$$

$$P(A \cap B) = P(A, B) = \frac{3}{20} = 0.15$$

$$P(B|A) = P(\text{happy}|\text{Positive}) = \frac{3}{13} = 0.231$$

$$P(X/Y) = \frac{P(Y/X) P(X)}{P(Y)}$$

Corpus

I am happy, because I am learning NLP +ve

I am happy, not sad.

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I am sad, I am ~~not~~ learning NLP. -ve

I am sad, not happy

$$P(A|B) = P(\text{Positive}|\text{happy}) = \frac{3}{4} = 0.75$$

$$P(B|A) = P(\text{happy}|\text{Positive}) = \frac{3}{13} = 0.231$$

Vocab	Positive	Negative	$P(w_i/Positive)$	$P(w_i/Negative)$
I	3	3	$\frac{3}{13} = 0.24$	$\frac{3}{12} = 0.25$
am	3	3	0.24	0.25
happy	2	1	0.15	0.08
because	1	0	0.08	0.0
learning	1	1	0.08	0.08
NLP	1	1	0.08	0.08
sad	1	2	0.08	0.15
not	1	1	0.08	0.08
	<u>13</u>	<u>13</u>	<u>1</u>	<u>1</u>

$P(X/Y) = \frac{P(Y/X) P(X)}{P(Y)}$

Corpus

I am happy, because I am learning NLP.  
I am happy, not sad. +ve

I am sad, I am not learning NLP.  
I am sad, not happy. -ve

Tweet: I am happy today I am learning.  $\frac{P(+ve)}{P(-ve)}$

$\frac{0.15}{0.08} \Rightarrow$  Positive

I am not sad.

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$$P(C/X) = \frac{P(X/C) P(C)}{P(X)} \implies$$

Constant  
for all

C: class      X: Document

P(C) : Prior probability of class

P(X/C) = Likelihood

P(C/X) = Posterior Probability

$$P(C/X) \propto P(C) \prod_{i=1}^n P(w_i/C)$$

Naive Independence assumption

for  $X = \{w_1, w_2 \dots w_n\}$

+ the class

$$P(X/c) = \prod_{i=1}^n P(w_i/c)$$

Ex

Means: Presence of one word does not affect the probability of another word.

Naive: Assume that feature (words in this case) Conditionally independent given class.

- Steps:
- Text Preprocessing (tokenization, stop word removal)
  - Feature Extraction
  - Compute: class prior, likelihood, posterior
  - Choose class with maximum probability.

Schedule, Today, Project } ✓ = 9

$$P(\text{Spam}/X) = \frac{P(X/\text{Spam}) \times P(\text{Spam})}{P(X)}$$

$$P(\text{Ham}/X) = \frac{P(X/\text{Ham}) \times P(\text{Ham})}{P(X)}$$

$$P(\text{Ham}) = P(\text{Spam}) = 0.5$$

$$P(\text{Spam}/X) \propto P(\text{Spam}) P(X/\text{Spam})$$

$$\propto 0.5 \times P(\text{Free}/\text{Spam}) \times P(\text{Money}/\text{Spam})$$

$$P(X/c) = \prod_{i=1}^n P(w_i/c)$$

Means: Presence of one word does not affect the probability of another word.

Likelihood with Laplacian Smoothing.

$$P(w/c) = \frac{\text{Count}(w, c) + 1}{\text{total words in } c + |V|}$$

$$P(\text{Ham}/X) \propto P(\text{Ham}) \times P(X/\text{Ham})$$

$$\propto 0.5 \times P(\text{Free}/\text{Ham}) \times P(\text{Money}/\text{Ham})$$

$$\propto 0.5 \times \frac{0+1}{6+9} \times \frac{6+1}{6+9} = 0.0022$$

Ex:

Document	Text	Class
D <sub>1</sub>	Free Monthly Offer	Spam
D <sub>2</sub>	Free Prize Money	Spam
D <sub>3</sub>	Meeting Schedule Today	Ham
D <sub>4</sub>	Project Meeting Today	Ham

Test Document: Free Money

$$P(\text{Spam}/X) > P(\text{Ham}/X)$$

Class  $\Rightarrow$  Spam

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Reviews	Text	Sentiment
R1	good movie enjoyable.	Positive
R2	good acting good story.	Positive
R3	bad movie boring.	Negative
R4	bad acting boring movie.	Negative

$$P(C/X) = \frac{P(X/C) P(C)}{P(X)} \leftarrow \text{Prior}$$

↓ Posterior

log → Likelihood

Same for all class

$$X = [w_1, w_2, \dots, w_n]$$

$$\log P(X/C) = \log \prod_{i=1}^n P(w_i/C)$$

Test: Good Movie Boring

Vocab = { good, movie, enjoyable, acting, story, bad, boring }

|V| = 7

$$P(C/X) \propto P(C) \cdot P(X/C)$$

$$\log P(C/X) \propto \log [P(C) \prod_{i=1}^n P(w_i/C)]$$

$$\log [P(C)] + \log \prod_{i=1}^n P(w_i/C)$$

